Introduction CS 152 (Spring 2021)

Harvard University

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Programming Languages

- More than a catalog of languages and what they can be used for.
- In this class: foundations of programming languages, the underlying concepts and principles that go into designing and implementing programming languages.
- How can you learn new languages? How can you design effective languages?

Why?

- give you the concepts to more easily learn new languages
- ... and to design and implement new languages
- golden age of PL
- elegant math

Cool: Type safety

Example: Rust

Rust is memory safe (no deferencing of null pointers, no dangling pointers), but performance is comparable to C and C++. Lots of memory checking is done statically. Achieves this using a sophisticated type system, with parametric polymorphism and linear types. All at compile time, with no run-time overhead.

Cool: Certified compilers

Cool: Program Synthesis

Cool: Program Verification

ToC

- semantics
- ▶ lambda calculus
- types
- reasoning about programs
- misc. topics

Semantics of Programming Languages

Give mathematical meaning to programs.

Why mathematical?

- Less ambiguous.
- ► More concise.
- Formal arguments.

Semantics

Styles of Semantics

Operational Semantics Denotational Semantics Axiomatic Semantics Algebraic Semantics

Operational Semantics

Small-Step Large-Step

Small-Step Operational Semantics

step from configuration to configuration:

$$c_0 \longrightarrow c_1 \longrightarrow \ldots \longrightarrow c_n$$

Large-Step Operational Semantics

one step from initial configuration to final answer:

$$c \Downarrow a$$

Denotational Semantics

interpret in mathematical domain

[[term]] = number

 $[[e_1 + e_2]] = [[e_1]] + [[e_2]]$

. . .

Axiomatic Semantics

 $\{Pre\}\ c\ \{Post\}$

Algebraic Semantics

$$x, y, z \in \mathbf{Var}$$

 $n, m \in \mathbf{Int}$
 $e \in \mathbf{Exp}$

$$x, y, z \in \mathbf{Var}$$

Var is the set of program variables (e.g., foo, bar, baz, i, etc.).

$n, m \in Int$

Int is the set of constant integers (e.g., 42, -40, 7).

 $e \in \mathsf{Exp}$

Exp is the domain of expressions, which we specify using a BNF (Backus-Naur Form) grammar.

Simple Expressions

```
e ::= x
| n
| e_1 + e_2
| e_1 \times e_2
```

$$1+2\times3$$

$$1+2\times3$$

$$1+(2\times3)$$

$$(1+2)\times 3$$

 $1 + (2 \times 3)$

 $(1+2) \times 3$

Def. and Use of Abstract Syntax

- in OCaml
- ▶ in Coq